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Portfolio Rebalancing in Times of Stress*

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Abstract -

This paper investigates time variation in the dynamics of international portfolio equity flows. We extend the empirical model of Hau and Rey (2004) by embedding a two-state Markov regime-switching model into the structural VAR. The model is estimated using monthly data, 1995-2015, on equity returns, exchange rate returns and equity flows between the United States and advanced and emerging economies. We find that the data are consistent with portfolio rebalancing. The estimated states match periods of low and high financial stress. Our main result is that for equity flows between the United States and emerging markets, the rebalancing dynamics differ between episodes of high and low levels of financial stress. A switch from the low to the high-stress regime is associated with capital outflows from emerging markets. Once in the high stress regime, the response of capital flows to exchange rate shocks is smaller than in normal (low stress) periods.

JEL codes: F30, G11, G15

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1 Introduction

According to theoretical models of portfolio rebalancing, global investors allocate their portfolio by balancing the expected risk and return of assets across international markets. When price shocks cause the portfolio weights to deviate from their optimal risk-return maximizing values, investors rebalance their portfolios. This portfolio rebalancing – also labeled negative feedback trading or contrarian investment – induces stabilizing dynamics. As an example, consider a random shock associated with an exchange rate appreciation in some foreign country. Assuming global investors' exchange rate exposure is not perfectly hedged, this shock increases the portfolio share of that country's equities above its desired level.¹ To restore the optimal risk-return tradeoff, investors sell equities from the respective foreign equity market. These asset sales trigger equity outflows which mitigate the initial currency appreciation.

A large empirical literature establishes that portfolio rebalancing is important in practice.² Curcuru et al. (2011) find that international U.S. equity investment exhibits partial rebalancing, as investors sell stocks that have recently performed well. Hau and Rey (2004) impose the sign restrictions implied by portfolio rebalancing in a structural VAR of equity flows, equity returns and exchange rate returns, and find that the dynamics of equity flows between the United States and four advanced economies are consistent with rebalancing. Hau and Rey (2006) develop an equilibrium model of rebalancing and find that the model's predictions are supported by the data.

Portfolio managers rebalance either periodically (i.e., monthly or quarterly) or in response to major events such as currency crises or stock market crashes in which pre-established parameter thresholds are breached. These two strategies in re-assessing the risk-return tradeoff for portfolios suggest that the aggregate response of capital flows to price shocks may differ strongly between periods of high and low financial stress. Although the international finance literature on portfolio rebalancing typically assumes that the response of portfolio equity flows to asset price shocks is time invariant and exhibits stabilizing behavior, there is considerable evidence that short-term oriented equity outflows, including portfolio equity flows, are subject to sudden reversals, with foreign investments repatriated during periods of high financial stress. The dynamics of equity flows in response to financial crises are frequently viewed to be destabilizing. The extreme case

¹International risk sharing requires a portfolio share in line with the world market portfolio. However, for home investors, foreign currency investments are associated with exchange rate risk. If markets are incomplete, so that exchange rate risk cannot be fully eliminated, this induces home bias in portfolios and rebalancing in response to exchange rate shocks.

 $^{^{2}}$ Large institutional investors, such as the Norwegian oil fund (see Ang et al. 2014), rebalance their portfolio following valuation changes towards pre-decided weights. Rau (2009) finds evidence of partial rebalancing among small- and medium-sized defined benefit pension plans. Blake et al. (1999) document that the portfolio weights of UK pension funds exhibit slow mean reversion towards the strategic asset allocation, while Bikker et al. (2010) and De Haan and Kakes (2011) find that Dutch pension funds and insurance companies tend to be contrarian traders. Evidence against rebalancing is provided by Radatz and Schmukler (2012). They find that investors pull out of mutual funds in times of stress, and in turn fund managers move out of stressed countries. Thus, mutual funds act in a destabilizing way and transmit shocks.

of sudden stops, a sharp slowdown in private capital inflows into emerging market economies, frequently threatens a country's financial system and results in a deterioration in output and an exchange rate depreciation.³

In this paper we ask whether the dynamics of international equity flows induced by portfolio rebalancing are time-varying. We extend the structural VAR framework used in Hau and Rey (2004), identified using sign restrictions, by allowing for time-varying dynamics. To do this, we embed a two-state Markov regime-switching model into the structural VAR. Allowing for timevarying behavior in this way introduces greater realism to a shock process driven by events such as global financial crises. The model is estimated using monthly data (1995-2015) on equity returns, exchange rate returns and equity flows between the United States and a set of advanced and emerging economies. Our results give insights to the following questions that are highly relevant for policymakers considering financial stability issues linked to international capital flows in different environments of uncertainty. Do the stabilizing dynamics of portfolio rebalancing differ between high and low levels of financial stress? How does the response of equity flows to asset price shocks differ for emerging market economies and advanced countries? To the best of our knowledge, this paper is the first to consider how equity flows respond to price shocks in a regime dependent setting.

We find that the dynamics of equity returns, exchange rate returns and equity flows between the United States and emerging markets are consistent with portfolio rebalancing.⁴ The timing of switches between the two states matches periods of low and high financial stress, with periods of high stress corresponding to a Markov state with low persistence. Our main empirical result is that for equity flows between the United States and emerging markets, the dynamics induced by rebalancing differ between episodes of high and low financial stress. A switch from the low to the high stress regime is associated with capital outflows from emerging markets. Once in the high stress regime, the response of capital flows to exchange rate shocks is smaller than in normal, low stress periods. These empirical findings accord well with the IMF's policy prescription, see Ostry et al. (2011) and Ostry et al. (2010), that emerging market economies may need to impose capital inflows. In contrast to our results for emerging market economies, we find little difference between the dynamics in low and high stress periods for capital flows between the United States and advanced economies.

The empirical results contribute to several strands of the international finance literature. First, the empirical finding that the dynamics induced by portfolio rebalancing are interrupted by switches

 $^{^{3}}$ The sudden stop crisis literature is vast. See Calvo (1998), Calvo and Reinhart (2000), Calvo et al. (2004), Dornbusch and Werner (1994), Dornbusch et al. (1995), and Reinhart and Reinhart (2009).

⁴Following Hau and Rey (2004), our identification structure imposes sign restrictions on the contemporaneous impulse responses that are implied by theoretical models of portfolio rebalancing. The data are consistent with portfolio rebalancing in the sense that we are able to find impulse responses that do satisfy the identification restrictions. If portfolio rebalancing was not a good description of the data, then either we would not find any responses satisfying the restrictions, or the impulse responses would show up with all mass very close to zero.

between high and low stress regimes for emerging market economies fits the stylized facts reported in the literature on capital flow reversals. Forbes and Warnock (2012), Reinhart and Reinhart (2009), Hutchison and Noy (2006) and others argue that capital inflows to emerging market economies are subject to sudden stops during financial crises. Second, our empirical finding that the dynamics of portfolio rebalancing is muted during periods of high financial stress is also consistent with the liquidity pull-back hypothesis by Fecht and Gruber (2012) and Nyborg and Ostberg (2014). These studies emphasize the view that investors seek to reduce their exposure to equity in times of stress. Investors have a clear preference for liquid and safe assets during periods of high financial uncertainty. Third, the empirical patterns of international equity returns, equity portfolio flows, and exchange rate returns shown in Hau and Rey (2004) have motivated other studies to consider the dynamics of alternative assets and capital flows. For example, Gyntelberg et al. (2014) use daily data on FX transactions and equity flows for Thailand to provide evidence that portfolio rebalancing is an important determinant of exchange rates. Using the same empirical approach as Hau and Rey (2004) and data on equity portfolio flows into emerging market-dedicated mutual funds, Ehlers and Takáts (2013) similarly find that evidence in favor of portfolio rebalancing for equity investment in emerging markets. Breedon and Vitale (2010) find that order flow is correlated with exchange rate movements, and that this effect is mainly due to portfolio balance rather than information effects. However, these studies do not consider the possibility that the dynamics of these financial variables may change when financial uncertainty is high.

The remainder of this paper is organized as follows. Section 2 motivates why the portfolio rebalancing dynamics may vary in periods of low and high financial stress. Section 3 presents the structural VAR model with two-state Markov switching and the identification strategy. Section 4 discusses the data and reports their statistical properties. Section 5 presents the main results in the form of impulse responses. Section 6 discusses several robustness checks. Section 7 concludes.

2 Theoretical motivation

In this section, we argue that the dynamics of capital flows and exchange rate and equity returns are likely to change in periods of high financial stress. First, standard asset pricing models suggest that the response of capital flows to returns induced by portfolio rebalancing is smaller in periods of financial stress. Second, the effect of a given capital flow on returns is likely to increase in times of stress.

2.1 Time variation in the response of capital flows to price shocks

We begin by using a standard mean-variance model of portfolio choice, as considered for example in Bohn and Tesar (1996), to motivate time variation in portfolio rebalancing. A representative investor chooses a portfolio of risky assets to maximize

$$\max_{\mathbf{x}_{t}} E_{t}\left(R_{t+1}^{p}\right) - \frac{1}{2}\alpha Var_{t}\left(R_{t+1}^{p}\right),$$

where \mathbf{x}_t is the vector of portfolio shares of risky assets and α is the coefficient of relative risk aversion. The portfolio return R_{t+1}^p is

$$R_{t+1}^p = \mathbf{x}_t' \mathbf{R}_{t+1} + R_{t+1}^f,$$

where R_{t+1}^{f} is the return on a risk-free asset and \mathbf{R}_{t+1} is a vector whose kth entry is the excess return on risky asset k, R_{kt} . The mean and variance of the portfolio return (conditional on the investor's information set) are

$$E_t \left(R_{t+1}^p \right) = \mathbf{x}'_t \bar{\mu}_t + R_{t+1}^f,$$

$$Var_t \left(R_{t+1}^p \right) = \mathbf{x}'_t \boldsymbol{\Sigma}_t \mathbf{x}_t,$$

where $\bar{\mu}_t \equiv E_t(\mathbf{R}_{t+1})$ and $\Sigma_t \equiv Var_t(\mathbf{R}_{t+1})$. The first-order condition of the maximization problem gives

$$\mathbf{x}_t = \frac{1}{\alpha} \mathbf{\Sigma}_t^{-1} \bar{\mu}_t.$$

The share of wealth invested in asset k, x_{kt} , is then given by

$$x_{kt} = \frac{1}{\alpha} \mathbf{e}_k' \mathbf{\Sigma}_t^{-1} \bar{\mu}_t, \tag{1}$$

where \mathbf{e}_k is a vector containing 1 in the kth position and zeros otherwise.

The investor's wealth evolves according to

$$W_t = (1 + R_t^p) W_{t-1}.$$

If the investor chose to hold a share of x_{kt-1} of his wealth in security k at the beginning of period t-1, his holdings of that security before re-adjusting his portfolio in t are $(1+R_{kt}) x_{kt-1} W_{t-1}$. Therefore, by definition the investor's net purchases of security k, NP_{kt} , are equal to

$$NP_{kt} = x_{kt}W_t - (1 + R_{kt})x_{kt-1}W_{t-1}$$

$$\approx \underbrace{(R_t^p - R_{kt})x_{kt-1}W_{t-1}}_{\text{portfolio rebalancing}} + \underbrace{(x_{kt} - x_{kt-1})W_{t-1}}_{\text{change in portfolio shares}}.$$
(2)

In the second line we have approximated $x_{kt} \approx x_{kt-1}$ in the first term on the right-hand side, following Bohn and Tesar (1996). The first term in (2) represents portfolio rebalancing: if the return of security k falls below the return of the market portfolio, the investor purchases that security to maintain constant portfolio shares. The second term represents asset purchases due to changes in the investor's desired portfolio shares.

Now consider a situation of financial stress or heightened uncertainty, captured in the model by some combination of higher risk aversion (increase in α), lower expected return on security k (fall in $\bar{\mu}_{kt}$), and higher variance of asset k's return (increase in σ_{kt} , the k,k entry in Σ_t). From (1), any of these changes will lower the optimal portfolio share of security k.⁵ Consequently, a regime switch from an environment of low to an environment of high financial stress is associated with net sales of security k, or in an international context with a capital flow out of region k. In the empirical results below, we will interpret the impulse responses of capital flows between the United States and emerging markets to a regime switch as reflecting changes in investors' desired portfolio shares.

Once the portfolio share has adjusted, and barring further changes in the desired portfolio share, the response of net purchases NP_{kt} to returns that is due to portfolio rebalancing declines. To see this, note that from (2) we have

$$\left. \frac{\partial NP_{kt}}{\partial R_{kt}} \right|_{x_{kt}=x_{kt-1}} = -x_{kt}W_{t-1},$$

so that the magnitude of the flow is decreasing in investors' position in security k. This is intuitive. With a lower portfolio share, a given shock has a smaller effect on the amount of wealth invested in security k, and hence requires smaller asset sales or purchases to rebalance the portfolio. The onset of a period of financial stress initially leads to capital flows out of risky assets; and while financial stress remains elevated, the stabilizing effect of portfolio rebalancing is dampened.

2.2 Time variation in the price effects of capital flows

Consider next the effect of a capital flow shock to exchange rates and equity prices. In many models no capital flows are required to move prices, which adjust instantly to their new equilibrium level in response to news. In practice, empirical work has documented that capital flows do have an effect on exchange rates (see for example Hau et al. 2010).

One model that allows us to think about this effect is Gabaix and Maggiori (2015). In that model, representative households in two countries can buy and sell foreign bonds only through financial intermediaries. These intermediaries face balance sheet constraints which limit their risk taking. The key parameter in the model, Γ , captures the risk bearing capacity of financial intermediaries. A higher value of Γ means that intermediaries are less able or willing to take on balance sheet risks. Therefore, when Γ rises, intermediaries have to be compensated for taking on risk through a higher expected return, and hence capital flows are associated with a larger effect on prices.⁶ Periods of

⁵For example, Caporale et al. (2015) provide empirical evidence that exchange rate uncertainty typically has a negative effect on net capital flows (based TIC data), suggesting that risk-averse investors scale back their investments in foreign-currency assets to minimize FX risk exposure.

⁶See for example proposition 4 in Gabaix in Maggiori (2015), which shows that in their model, the effect of a

financial stress can be thought of as periods when intermediaries' risk bearing capacity is low. It follows that a given capital flow should have a larger effect on exchange rates (and on equity prices, if equity can also be traded only via financial intermediaries) in periods of high financial stress.

A further reason why the effect of capital flows on returns is expected to be higher in times of financial stress is that risky assets are likely to become less liquid in such episodes.

3 Empirical framework

This section discusses the empirical strategy in two subsections. The first subsection presents the time-varying framework and the motivation for using Markov-switching VAR approach. The second subsection discusses the identification strategy to understand the dynamics of portfolio rebalancing.

3.1 Estimating changes in parameters

To analyze whether the time-varying relationship between equity flows, equity returns, and exchange rate returns in periods of high and low financial stress, we estimate a Markov-switching VAR (MSVAR). In this empirical setup, both the coefficients and the variances are allowed to switch between regimes. The objective is to identify specific periods in which the variables respond to different shocks. The MSVAR approach is preferred over models which allow for gradual changes in coefficients and variances over time (as in the TVP-VARs proposed by Primicieri (2005) or Cogley and Sargent (2005)) because periods of high financial stress are assumed to be a priori not highly persistent. Therefore short-lived effects related to crisis periods may not be detected with more complex models where all parameters are allowed to change in each period.

Formally, the structural MSVAR with p lags can be written as:

$$A_{0,s}y_t = c_s + \sum_{k=1}^{p} A_{k,s}y_{t-k} + \epsilon_t,$$
(3)

where y_t is a 3×1 vector containing the equity excess return, the exchange rate return, and the standardized net equity flows at time t and $A_{k,s}$ are 3×3 coefficient matrices. The structural shock vector (which is normalized to follow the standard normal distribution), ϵ_t , is 3×1 and the constants for each equation, c_s , is 3×1 . The subscript $s \in \{1, 2\}$ indicates two regimes. The regime evolves according to a hidden Markov-switching process with an unrestricted transition matrix Q. Because sign restrictions are used as the identification scheme, we need to draw from the posterior distribution of the coefficients and thus use Bayesian methods to estimate the reduced form model:

$$y_t = B_s X_t + A_{0,s}^{-1} \epsilon_t, (4)$$

capital flow shock f^* on the exchange rate is increasing in Γ .

where B_s is a $3 \times (3p+1)$ matrix containing the reduced form coefficients for each equation ordered by their lags. X_t is a $(3p+1) \times 1$ vector with the lagged variables and a 3×1 vector of ones stacked on top of each other.

To draw from the posterior distribution, two sets of priors need to be defined.⁷ For the VAR parameters, we use priors as proposed by Sims and Zha (1998). By setting the hyperparameter $\lambda_0 = 1$ and using an inverse Wishart prior for the reduced form covariance matrix $\Sigma_s = (A_{0,s}^{-1})(A_{0,s}^{-1})'$, we assume prior independence across structural equations and thus do not impose any prior on A_0 .⁸ Because the variables are assumed to be stationary, we set the priors on drifts or forecasts to zero $(\mu_5 = \mu_6 = 0)$ and choose the hyperparameter $\lambda_4 = 0.1$. This reflects the belief that the constants should be close to zero. Following Sims and Zha (1998), we set the hyperparameter for the lag decay to $\lambda_3 = 1$. Finally, we set the hyperparameter $\lambda_1 = 0.5$, which is the hyperparameter governing the tightness of the prior on the AR(1) coefficients. For the Markov transition matrix Q, we follow the Markov-switching literature and use an unrestricted prior of the Dirichlet form (e.g., Sims, Waggoner and Zha (2008)). The Dirichlet prior is set such that one of the states is not persistent, reflecting a belief that periods of high financial stress are short-lived.⁹

When sampling from the unconstrained posterior, it is unknown which sampled parameter corresponds to which state as label switching might have occurred (see for example Frühwirth-Schnatter, 2006). To account for this non-identifiability, we follow Frühwirth-Schnatter (2001) and first use a random permutation sampler to draw parameters from the posterior distribution. Analysis of the unconstrained marginal posterior densities reveals that in both samples the two states are best identified using the AR(1) parameter of exchange rate returns. This identifiability constraint then is imposed by permuting each parameter draw so that the constraint is satisfied. Using the constraint, we generate one million draws from posterior distribution with a Metroplis Hastings algorithm. For the presentation of the results, only the last 500'000 of these draws are used. To initialize the sampler, the mode of the posterior was calculated following the suggestions of Sims, Waggoner and Zha (2008). The parameters are split into four blocks: the intercepts c_s , the AR coefficients B_s , the error covariances Σ_s , and the transition matrix Q. Within each block, the maximum for the posterior log likelihood is found, holding the parameters in the other blocks constant.

3.2 Identification and generalized impulse responses

The structural matrix $A_{0,k}$ is identified using sign restrictions on the contemporaneous effect of shocks. These restrictions are shown in Table 1. The restrictions follow Hau and Rey (2004) and are based on the portfolio rebalancing theory, and thus in particular on the assumption that investors do not fully hedge their FX portfolio risk. The sign restrictions rest on three hypotheses, which

⁷These calculations have been performed using the R-package "MSBVAR" which is maintained by Patrick Brandt. ⁸See example 5.1 in Sims and Zha (1998).

⁹In the notation of Sims, Waggoner and Zha (2008), we use $\alpha_{11} = 5$ and $\alpha_{22} = \alpha_{12} = \alpha_{21} = 2$.

	EQ return shock.	FX return shock	EQ flow shock
EQ return	+	+	+
FX return	+	+	_
EQ flow	—	+	+

Table 1: Identification restrictions

Notes: This table summarizes the identification restrictions on the contemporaneous (within the same month) effect of shocks to the variables in columns on the variables in rows. The signs are listed for positive shocks. A positive equity return differential ("EQ return") is a higher return abroad than in the United States; a positive FX return is a dollar appreciation; a positive equity flow is a net flow out of the United States. Columns 1, 2 and 3 correspond to hypotheses H1, H2 and H3 in Hau and Rey (2004).

correspond to the three columns in Table 1. First, because of incomplete hedging, a positive equity return differential shock leaves investors heavily exposed to foreign currency. Portfolio rebalancing then implies that investors sell their foreign equity and invest in U.S. stocks, thus generating equity flows to the United States and a U.S. dollar (USD) appreciation. Second, a USD appreciation leaves investors with too much exposure to the U.S. currency (again we assume incomplete hedging). Investors then rebalance their portfolio by selling U.S. equity and moving capital to the foreign market, thereby generating an equity outflow from the United States and lowering U.S. equity returns. Third, a positive equity flow shock, corresponding to an equity outflow from the United States, directly affects exchange rates and equity markets. As capital is moving into foreign equity markets, the demand for foreign currency and foreign equity increases which results in an USD depreciation and increasing foreign equity returns.

Assuming the system is in state s, the k-period ahead generalized impulse responses of variable i to a shock to variable j are computed as the difference in the conditional expectations with and without a structural shock:

$$IRF_{ij,t+k} = \mathbb{E}\left(y_{i,t+k} | \epsilon_{j,t} X_t, s_t = s\right) - \mathbb{E}\left(y_{i,t+k} | X_t, s_t = s\right),\tag{5}$$

where $\epsilon_{j,t}$ is the structural shock vector with the *j*th row being the only non-zero element and equal to one. By using generalized impulse responses, we account for the fact that high stress periods are likely to be short-lived. When a state only lasts for one or two months at a time, using impulse responses conditional on staying in a given regime as Ehrmann et al. (2003) suggest would be misleading. This is because the probability of staying in the short-lived regime is extremely small (Krolzig, 2006). Further details on the computation of generalized impulse responses are provided in Appendix A.

The identification through sign restrictions is performed using the procedure proposed by Rubio-

Ramírez et al. (2010), as implemented by Baumeister and Peersman (2013). Let R be a diagonal matrix whose elements are normalized to be positive and Q be a rotation matrix from the QR decomposition of a 3×3 matrix drawn from the standard normal distribution. Further, let $\sum_{k \in \{S,T\}} = P_k D_k P'_k$ be the eigenvalue-eigenvector decomposition of the covariance matrix $\sum_{k \in \{S,T\}}$ drawn from the marginal posterior distribution of regime or period k. Then the matrix of the contemporaneous effect for regime or period k can be calculated as follows:

$$A_{0,k}^{-1} = P_k D_k^{\frac{1}{2}} Q_k'.$$
(6)

Because the matrix of the contemporaneous effect corresponds to the impulse response on the contemporaneous effect of the shock, the elements need to be in line with our sign restrictions. Given a draw for the covariance matrix, we generate rotations Q until we have found 200 that lead to the matrix of the contemporaneous effect satisfying our sign restrictions. Then the mean is calculated across the rotations. This procedure is performed for 1000 draws of the covariance matrix for each regime of period $k \in \{S, T\}$. This generates the posterior distribution of impulse responses shown in our results.

To characterize the states, we also present how the variables respond to a regime switch. Similar to the generalized impulse responses, we define the response of variable i to a switch from regime s to regime h in period t as:

$$IRF_{i,sh,t+k} = \mathbb{E}\left(y_{i,t+k}|s_t = h, X_t\right) - \mathbb{E}\left(y_{i,t+k}|s_t = s, X_t\right).$$
(7)

In a model with two states, this definition implies that the response to switching from regime s to regime h is the negative value of the a switch in the other direction. The response to regime switches does not depend on the structural identification and only on the reduced-form coefficients. As a consequence, it can be calculated directly by drawing from the posterior distribution of the reduced-form coefficients. As shown in Appendix B, the response to a regime switch depends on the variables' values in t. We therefore calculate separately for each draw the response at every observation in the sample and take the mean over the calculated responses. This procedure is repeated for 10'000 draws, which generates the posterior distribution of responses shown in our results.

4 Data

We use monthly country-level data for equity returns, foreign exchange rate returns, and equity flows from January 1995 to December 2015. We aggregate the data for two sets of countries: 19 advanced and 14 emerging market economies. Portfolio rebalancing in our setup constitutes portfolio adjustment between the United States and groups of investment assets in advanced and emerging market economies. Our choice of countries is based on the size of equity flows with a minimum 1% threshold for each country group. A complete list of the countries included in the two samples is provided in Table 3 in Appendix C.

As in Hau and Rex (2004), the data on international equity flows are from the U.S. Department of the Treasury (TIC data). These data measure bilateral flows between the United States and various countries.¹⁰ Net equity flows are defined as net purchases of foreign stocks by U.S. residents minus net purchases of U.S. stocks by foreign residents.¹¹ Positive net equity flows thus correspond to outflows from the U.S. perspective. Equity flows have increased strongly during the sample period. We therefore follow Hau and Rey (2004) and standardize monthly net equity flows with the total monthly flows after aggregating the flows within the two samples for advanced and emerging market economies.

Equity and exchange rate data are from Datastream.¹² The equity return differential is calculated as the difference between the MSCI index local currency returns of the foreign country and the United States, where returns are calculated using log differences of the end-of-month index values.¹³ Positive monthly excess equity returns imply that foreign equities outperform U.S. equities. A positive exchange rate return corresponds to a USD appreciation and is calculated as the log difference of the end-of-month nominal exchange rates expressed in USD.

To aggregate equity and exchange rate returns within the two country samples, we weight them by the countries' contributions to total flows in the specific month. Formally, the weight for each country i in month t for sample S is:

$$w_{i,t} = \frac{TF_{i,t}}{\sum_{i \in S} TF_{i,t}}$$

where $TF_{i,t}$ is the total equity flows between country *i* and the United States in period *t*. Aggregating the data has several advantages. First, the custodian and transaction biases in the TIC data mentioned by various authors (e.g., Griever et al. (2001)) are irrelevant for the advanced economies as a whole and are likely to be less severe for the emerging market economies. Second, international equity flows from the United States to these country groups are more important for the groups' overall equity market, as compared to the flows to just a single country (which will also have flows to and from many countries besides the United States). Equity flows within the group do not matter as they affect both countries, therefore cancelling the overall equity effect for the group.

Table 2 presents summary statistics of the three variables for advanced and emerging market

¹⁰Griever et al. (2001) provide an extensive overview on the TIC data. The data can be downloaded on the website of the U.S. Department of the Treasury.

¹¹Following Hau and Rey (2004) and subsequent papers, we focus only on equity flows. Empirical work has mostly found that capital flows related to equity purchases, rather than bond purchases, are an important determinant of exchange rates (see for example Gyntelberg et al. (2015)).

¹²The respective tickers are provided in Table 3 in Appendix C.

 $^{^{13}\}mathrm{End}\text{-of-month}$ is defined as the last day of a month for which data is available.

	Mean	Min.	Max.	Var.	Kurt.	Skew.	AC(1)	AC(2)
Advanced Economies								
EQ return	-0.31	-12.58	5.71	4.92	6.04	-0.54	-0.15	-0.05
FX return	0.03	-7.37	9.57	4.68	4.65	0.33	0.02	0.05
EQ flow	-0.19	-4.87	9.25	4.67	4.23	0.47	0.56	0.51
Em. Market Economies								
EQ return	-0.02	-21.56	9.81	16.38	7.65	-1.18	0.14	0.09
FX return	0.37	-5.81	17.81	5.78	14.88	2.01	0.07	0.01
EQ flow	3.87	-15.01	37.41	47.12	5.47	1.07	0.43	0.30

Table 2: Summary Statistics

Notes: This table shows the summary statistics for the weighted variables in the two samples. AC(1) refers to the autocorrelation of the first, AC(2) of the second lag.

economies. Three observations standout. First, most variables are centered around zero except for the positive mean for net equity flows to emerging market economies. A positive mean indicates that on average equity flows out of the United States and into emerging market economies. Second, the four moments of the variables for emerging market economies are larger than the corresponding moments for advanced economies. The variance of net equity flows for emerging market economies is particularly pronounced as is the kurtosis of exchange rate returns. Third, despite these differences in the moments, the level of persistence of the variables (captured by the autocorrelation coefficients) tends to be similar for advanced and emerging market economies.

Data for two commonly used indicators of financial stress are the CBOE Volatility Index (VIX) and the Emerging Bond Index Global Sovereign Spread (EMBI). The VIX is from the Chicago Board Options Exchange and measures market expectations of volatility, which are derived from the S&P 500 stock index option prices.¹⁴ The EMBI is compiled by J.P. Morgan and tracks returns of sovereign bonds from various emerging market economies.¹⁵ Presented is the spread of the sovereign bonds against benchmark U.S. Treasury bonds.

Figure 1 plots the three variables for both advanced and emerging market economies. The plots highlight three features of the data. First, the variables appear to follow stationary processes. Second, the depreciation of the USD against emerging market currencies during the Asian crisis, the global financial crisis, and the euro area sovereign debt crisis is visible. Third, as in Table 2, the elevated variance in equity outflows to emerging market economies is visible in Figure 1.

 $^{^{14}\}mathrm{VIX}$ data was downloaded from Datstream with the ticker CBOEVIX.

¹⁵EMBI data was downloaded from Bloomberg with the ticker JPEGSOSD.



5 Results

The empirical results from the MSVAR model are presented in two subsections. The first subsection shows that the two states, which are identified endogenously by the model, can be interpreted as capturing periods of low and high financial stress. In particular, it is argued that switches to and from the second state match the sharp movements in popular risk measures such as the VIX index. The second subsection reports the baseline findings that the dynamics of equity returns, exchange rate returns, and equity flows, consistent with portfolio rebalancing, are time-varying for emerging market economies, whereas the dynamics are found to be stable for advanced economies. The discussion highlights the differences in the dynamics of equity flows, equity returns, and exchange rate returns using generalized impulse responses for periods of high and low financial stress.



5.1 Identified regimes as periods of low and high financial stress

Figure 2 shows how the posterior probability of being in the second state changes over time. For the advanced economies (AE) sample, the second state exhibits little persistence and occurs infrequently. Throughout most of the AE sample, the system remains in the first state. For the emerging market economies (EME) sample, the second state also shows little persistence, but it arises more frequently compared to the AE sample. There is some overlap between the estimates for the two states in the AE and EME samples: If advanced economies enter in the second state, emerging market economies do as well, and many of the peaks in the EME sample coincide with peaks in the probability of the AE model.¹⁶

The observed pattern in Figure 2 for the AE and EME sample is in line with what would be expected of a system with periods of high and low financial stress. Periods of low financial stress prevail throughout most of the sample and are interrupted by a few episodes of non-persistent, high stress. However, the two states in itself do not have any economic meaning, because they are endogenously determined in the Markov-switching model and only indicate that the variables behave differently in some periods. To give an interpretation to the posterior state probabilities, the behavior of the states are compared with movements in the VIX index (a measure of U.S. stock market volatility) and the EMBI index (a measure of the spread between bond yields in emerging market economies and the United States). These indices are commonly used measures for financial market stress in advanced and emerging market economies, with peaks signalling periods of high financial stress.

Figure 3 plots the VIX index and the EMBI index against period 2 episodes as estimated from

¹⁶An exception is September 1998. The EME estimates enter the second state one month earlier than AE estimates.



the Markov-switching model. The light shaded areas indicate periods when the probability of being in the second state is larger than 0.5 in the EME sample. The dark shaded areas correspond to the same probability for the second state for the AE sample. The comparison shows that the states are well aligned with periods when financial stress indicators are high. For both the AE and EME sample, the model detects stress periods for the two major financial crises: (i) the Russian financial crisis starting in August 1998 and (ii) the global financial crisis starting in September 2008 with the Lehman Brothers' bankruptcy. An additional stress period is detected in both samples for May 2009. This is not a peak in the stress indicators, but was a month marked by an exceptional USD depreciation as indicated by the negative peak in Figure 1. In the EME sample, the model detects further periods of high financial stress. For example, the periods in mid-2001 and mid-2011, which are identified to be in the second state, are well aligned with peaks in the financial stress indicators and correspond to the 9/11 attacks in the United States and the European sovereign debt crisis.

For the year 2003, the model identifies multiple periods when the EME sample is in the second state. These periods are not aligned with the stress indicators and are more difficult to interpret. However, in 2003, we observe strong swings in equity flows, largely driven by flows to and from a single country, Taiwan, that was heavily affected by the severe acute respiratory syndrome (SARS) between November 2002 and July 2003. The high volatility in equity flows in itself can also be an indicator of uncertainty, as U.S. investors move capital towards and again away from Taiwan from one month to the next. The model also identifies some additional periods when either the EME or AE sample are in the second state. Again, these periods are well aligned with small peaks in the risk measures and indicate periods of financial stress.

We interpret the evidence from Figures 2 and 3 such that the second state corresponds to periods of high financial stress. It is important to note that the non-persistent pattern in the posterior state probability of state two does not arise from our selected priors. In general, the Dirichlet prior governs how the states are drawn and its choice can push the results towards more or less persistence in the states. However, the second state is less persistent than the applied prior implies, indicating that the posterior state probabilities are governed by the data and are not determined by the choice of priors. Furthermore, adjusting the Dirichlet prior so that the states are a priori symmetric and persistent does not change the results.

The two states are further characterized by how the variables respond to a regime change. Figure 4 reports how the three variables respond over time following a switch from state 1 to state 2.¹⁷ In the AE sample, the response is close to zero, indicating that there may not be much difference between the two states. In the EME sample, there is a clear response when switching from state 1 to state 2. Expected emerging market excess equity returns over returns in the United States drop, whereas expected exchange rate returns increase by approximately 0.5% (a USD appreciation). Furthermore, equity flows react negatively (a capital flow out of emerging market economies) and the 68% credible set of all these responses is non-zero. After a few periods, the responses are close to zero as the state probabilities converge towards their long-run mean.

This latter result provides further evidence that state 2 corresponds to high stress periods in the EME sample. The estimated responses show that switching to state 2 in a month implies that for this month, foreign equities underperform U.S. equities, the USD appreciates, and capital moves away from EMEs to the United States. This is consistent with what we would expect during high stress periods. In high stress periods, U.S. investors tend to move out of risky emerging market equities and repatriate capital back home. This lowers equity prices in EMEs as well as puts pressure on their exchange rates.

5.2 Impulse responses for periods of low and high financial stress

The signs of the impulse responses to the three shocks satisfy by construction the restrictions defined in Table 1. After the contemporaneous effect to the shock, impulse responses with a 12-month horizon can move in either direction. If the channels of portfolio rebalancing do not hold in periods of low or high financial stress, no impulse responses fitting the sign restrictions would be found. The full results for both samples presented in Appendix C however show that this is not the case and that the sign restrictions fit well. The restrictions hold beyond the period of the shock's contemporaneous effect. The impulse responses in sign and magnitude are in line with the results of Hau and Rey (2004).¹⁸ Further, the adjustment over time shows a similar pattern as

 $^{^{17}}$ By definition, switching from the high stress to the low stress state generates opposite responses of the same magnitude.

¹⁸Note that we are presenting the impulse responses to shocks normalized so that they correspond to a shock of one percentage point (e.g., equity excess returns increase from 4% to 5%). This makes it possible to compare impulse



Figure 4: Responses to a switch from state 1 to state2

Notes: This figure shows how the three variables are expected to respond over time following a switch from state 1 to state 2. The lines correspond to the median and the shaded areas to the 68% posterior credible set.

in Hau and Rey (2004). Equity excess returns and exchange rate returns react within one to two months, whereas net flows continue to adjust during the year. Overall, the fact that we can find impulse responses that satisfy the sign restrictions implied by the theory suggests that portfolio rebalancing is a good description of investor behavior for U.S. equity flows towards advanced and emerging economies.

One notable difference in the Markov-switching results to Hau and Rey's (2004) is that price responses to flow shocks in the Markov-switching model are larger in absolute terms. This can partially be attributed to the choice of the aggregated samples. Hau and Rey (2004) analyze flows between the United States and individual advanced economies. In their setting, flows to and from other countries besides the United States are ignored. As a result, price responses are lower if flows from countries besides the United States move in the opposite direction. For example, if in a given month U.S. investors buy Japanese equities, but at the same time European investors sell Japanese equities, then the price effect of U.S. flows is attenuated. With the aggregated samples, this is not the case since price effects of flows within a country group cancel each other out in the aggregate

responses across the two states (recall that the shock standard deviations also change across states). To make the results comparable, Hau and Rey's (2004) impulse responses need to be adjusted so that the effect of a shock on itself is equal to one.



Figure 5: GIRFs of equity flows to equity and exchange rate shocks

Notes: Cumulative generalized impulse responses (GIRF) of net equity flows in the two samples. The upper row shows how net flows react to the two price shocks over time. The shocks are normalized so that they correspond to a shock of one percentage point in the respective returns. The lines correspond to the median and the shaded areas to the 68% posterior credible set. The lower row shows the posterior density of the same impulse responses after 12 months.

and we only observe the price response to U.S. flows.

Next, the discussion of the main findings from the Markov-switching model focuses on a subset of impulse responses and compares them across the two regime states. Panel (a) in Figure 5 reports how U.S. equity flows in the AE sample respond to a 1% shock to equity or foreign exchange rate returns. The first row shows the median and 68% credible bands, whereas the second row shows the complete distribution of the impulse response after 12 months across models that satisfy all sign restrictions. Note that the distribution of the net flow response to an equity return shock differs between states and that the median response in periods of stress (in the second state) is closer to zero. Due to the large overlap of the two distributions, however, no clear conclusion can be drawn that portfolio rebalancing between the United States and other advanced economies changes in periods of high and low financial stress. The time-varying evidence for advanced economies suggests that the dynamics for net equity flows, exchange rate returns, and equity returns is consistent with portfolio rebalancing both in periods of high and low financial stress.

Panel (b) reports the same impulse responses for the EME sample. As in the AE sample, equity flows to and from emerging market economies are less sensitive to exchange rate and equity shocks in periods of high financial stress. There are however distinguishable differences between states in the posterior distribution of the impulse responses and the median of the high stress state exceeds the 68% credible set of the low stress state. This statistical difference in the equity flow responses provides strong evidence that in periods of high financial stress, the dynamics consistent with portfolio rebalancing generates less equity flows. This empirical result accords with the theoretical discussion in section 2. In periods of high financial stress, investors seek to reduce their equity exposure and hold a large share of their portfolio in less risky investments. The dynamics of portfolio rebalancing generates smaller equity flows in response to equity and exchange rate shocks. The level of portfolio adjustments in terms of rebalancing across asset classes cannot be measured with our specification. However, because the data for equity flows is based on purchases and sales of equities, equity flow shocks indicate shifts to and from equities.

Note that the scales in Figure 5 differ for the AE and EME results. If these results were plotted on the same scale, one would hardly see the difference in impulse responses for states 1 and 2 in the AE case. It would then become even more clear that the dynamics are quite stable across the two regimes for the AE sample, but time-varying for the EME sample.

Portfolio rebalancing tends to dampen the effect of adverse shocks and thus could act as a stabilizing force even during crisis periods. Consider an emerging market crisis, which in our empirical setting could be captured by adverse equity or currency return shocks. Such adverse shocks would leave international investors holding too little (measured in USD) emerging market equity in their portfolios. This would prompt capital flows to emerging market economies, which mitigate the initial shocks. Because the response of equity flows is observed to be much smaller in absolute value in the second state – which corresponds closely to periods of financial turnoil in emerging market economies – the stabilizing force of portfolio rebalancing is weaker in periods of high financial stress.

When comparing the magnitude of the impulse responses between advanced and emerging market economies, it is important to note that the standard deviations of price and flow shocks are much higher for the EME sample than for the AE sample. Therefore a 1% shock, as shown in Figure 5, is a "smaller shock" for emerging market economies relative to advanced economies. Standardizing the impulse responses such that they represent the response to a shock of one standard deviation, but expressed in terms of standard deviations of the responding variables, shows that flows in the EME sample are more sensitive to exchange rate shocks, but equally sensitive to equity shocks compared to the AE sample.

Figure 6 depicts how equity returns respond to a 1% shock in exchange rate returns and how exchange rate returns respond to a 1% shock in equity returns for the two samples. In the AE sample, reported in Panel (a), the difference in the median impulse responses is negligible considering the disperse distributions. In contrast, Panel (b) shows that there are significant differences in the posterior distribution of responses of equity returns to a shock in exchange rate returns. The 68% credible sets of responses in the two states are distinct from each other and the median response in the low stress state exceeds the median response in the high stress state. This statistical difference provides strong evidence that in periods of high stress, there is little transmission of exchange rate

Figure 6: GIRFs of EQ (FX) returns to shocks in FX (EQ) returns

Notes: Cumulative generalized impulse responses (GIRF) of returns in the two samples. The upper row shows how equity (exchange rate) returns react to a positive shock in exchange rate (equity) returns over time. The shock is normalized so that it corresponds to a shock of one percentage point in returns. The lines correspond to the median and the shaded areas to the 68% posterior credible set. The lower row shows the posterior density of the same impulse responses after 12 months.

shocks to equity markets which is in line with predictions from the theory of portfolio rebalancing. As exchange rate shocks are transmitted to equity markets through portfolio rebalancing, it follows directly that weak portfolio rebalancing will also lead to a weak transmission.

Figure 7 reports the impulse responses of equity and exchange rate returns to a shock to U.S. equity outflows. Panel (a) shows that in the AE sample, equity returns and exchange rate returns react similarly in both periods of high and low financial stress. The adjustment over time and the distribution of the responses after 12 months are comparable across the two states. Panel (b) shows only a small difference across states in the EME sample as well. Although the median response of equity returns to a flow shock is lower in the high stress state, it is still in the 68% credible set of the normal state and provides no clear evidence whether equity returns react less to flow shocks in periods of high stress due to stronger liquidity constraints. For exchange rate returns, the slightly larger price effects of net flows in the "high stress" state 2 is consistent with the model of Gabaix and Maggiori (2015), but the difference across states is not statistically significant.

Forecast error variance decompositions confirm the changing strength of portfolio rebalancing in the "high stress" state 2 of the model.¹⁹ One observation from these decompositions is that in

¹⁹Forecast error variance decompositions are reported in Figures 10 for AEs and 11 for EMEs in Appendix C.

Figure 7: GIRFs of equity and exchange rate returns to equity flow shocks

Notes: Cumulative generalized impulse responses (GIRF) of returns in the two samples. The upper row shows how equity and FX returns react to a positive shock in net flows over time. The shock is normalized so that it corresponds to a shock of one percentage point in net flows. The lines correspond to the median and the shaded areas to the 68% posterior credible set. The lower row shows the posterior density of the same impulse responses after 12 months.

state 2, more of the forecast error variance of each variable is explained by shocks to that variable. For example, for EMEs EQ return shocks explain only 30% of equity return differentials in state 1, as opposed to 50% in state 2. In particular, for EMEs the flow shocks explain a markedly lower fraction of the FX and EQ return forecast errors in state 2.

For EMEs the share of EQ flow forecast error variance that is explained by FX shocks drops in state 2 compared to state 1, consistent with the above finding that the impulse responses of EQ flows to FX shocks is lower in state 2. But conversely EQ return shocks explain more of the EQ flow variance in state 2 than in state 1, despite the fact that the corresponding impulse response of flows to EQ return shocks is lower in state 2. This implies that while the effect of a unit EQ return shock on flows is lower in state 2, the variance of those shocks is higher.

6 Robustness checks

We perform several robustness checks to confirm the baseline results from the previous section. The robustness checks consider issues related to the choice of the weighting scheme, the setting of the priors, and the sample size. In each case, we find results that are in line with the findings from the baseline specification. Because of the similarity between the results from the baseline and the robustness checks, we discuss the outcomes of the robustness checks but do not reproduce the same graphs from the previous section.

6.1 Re-weighting the AE and EME countries

A first robustness check addresses a potential endogeneity concern arising from our weighting scheme that may put undue weight on exchange rate and equity returns when equity flows are especially high for a particular country. To address this concern, the model is re-estimated using alternative country weights for equity returns and exchange rate returns. More specifically, we use the MSCI World ex US and the MSCI Emerging markets indices for equity returns and the US Major currency and US Other important trading partner trade weighted exchange rate indices for exchange rate returns.²⁰ Using the weights from these two sources should alleviate endogeneity concerns, because the new weights are calculated independently of equity flows. For equity flows, the weighting scheme remains the same because they are simply aggregated for the AE and EME samples.

The results from this new weighting scheme show the same pattern as in the baseline results. The exception is that the distributions of the impulse responses in the AE and EME samples are now wider. In other words, the impulse responses from the two states overlap each other and the medians from the two states lie in each other's 68% credible sets. This result can be attributed to the difference in the covered countries. The weights from the new indices cover a range of countries not included in our sample, thus some weighting bias is introduced which can lead to a wider distribution.

A second approach to address the endogeneity concern is to use constant weights throughout the sample. Such an approach reduces endogeneity issues in that it no longer puts more weight on returns for some countries in certain months. The constant weighting scheme produces results comparable to our baseline results. As in the baseline specification from the previous section, the impulses responses from the constant weighting model yields distinguishable states between the regimes of high and low financial stress.

A further weighting check is to exclude some countries from the AE and EME samples. The selection is based on considering only the 7 biggest AE and 4 biggest EME countries in terms of equity gross in- and outflows. Again, the results from the reduced country sample are consistent with our baseline results. The estimated posterior probability of the states and the estimated impulse responses match the baseline results well. Though the 68% credible sets are not completely distinct for the EME sample, the median responses of flows in high stress periods lie outside the 68% credible set of responses of the low stress periods.

 $^{^{20}\}mathrm{Though}$ the name may suggest differently, the MSCI World ex US index only covers equities from developed markets.

6.2 Choice of priors

A second robustness check is to consider how the MSVAR responds to different specifications of priors. Several considerations are undertaken. The Dirichlet prior is first set more tightly. This pushes the model to find more persistent symmetric states.²¹ With this prior specification, the analysis of the generated posterior distribution shows that the states are not well identified. Parameter draws and thus the impulse responses are similar between the two states. This result supports our hypothesis of a highly persistent state identified as the regime of low financial stress and a low persistent state identified as the regime of high financial stress. Next, loosening the Dirichlet prior and making it symmetric does not change the baseline results.

Further checks include loosening the prior on the AR(1) coefficients of the reduced-form VAR model, while keeping the other hyperparameters as well as combinations of different Dirichlet and VAR hyperparameters.²² With these different specifications, the results remain consistent with the baseline specification from the previous section. This outcome confirms that the results from our baseline are in fact driven by the data and not from our choice of priors. With a looser prior on the AR(1) coefficients, the results of a low level of portfolio rebalancing in high stress states are even more reenforced. This arises because no impulse responses fulfilling our sign restrictions are found.

6.3 Sample size

A third robustness test restricts the sample to periods after January 2000. Using a sample beginning before 2000 may have influenced the findings because of the introduction of the euro in 1999, and because of changing monetary policy strategies in emerging market economies with respect to their national currencies after the Asian crisis between 1997 and 1998.

Results from the restricted sample are in line with the baseline results presented in the previous section. This is true for the AE and the EME samples. The second regime state matches periods of high financial stress. As in the baseline results, the response of equity returns to exchange rate shocks is lower and there is also a statistical significant separation of the 68% credible sets in the restricted EME sample. Further, equity flows respond less to price shocks in periods of high financial stress. Though this separation is less pronounced and the credible sets of responses in the two states coincide, the medians lie outside the credible set of the other state.

7 Conclusion

This paper studies time variation in the dynamics of equity returns, exchange rate returns, and international equity flows. We extend the analysis in Hau and Rey (2004) by introducing a two-state Markov regime switching model into the structural VAR. The model is estimated using monthly

²¹In the notation of Sims, Waggoner and Zha (2008), the priors are defined as $\alpha_{11} = \alpha_{22} = 12$ and $\alpha_{12} = \alpha_{21} = 2$. ²²The hyperparameter λ_1 was set to 0.9.

data, 1995-2015. Rather than estimating the model for bilateral capital flows, as in Hau and Rey (2004) and most related subsequent studies, we aggregate capital flows and asset returns across advanced and emerging economies. This has the advantage of reducing the biases inherent in the TIC data on international capital flows to and from the United States. To the best of our knowledge, this paper is the first to consider changing dynamics of international portfolio rebalancing.

Our results suggest that models of portfolio rebalancing are a good description of investor behavior for U.S. international capital flows. We also find that the estimated regimes match periods of low and high financial stress, as indicated by common risk measures. We therefore interpret the estimated regimes as reflecting low and high risk states. The empirical results for advanced economies show that the dynamics of equity returns, exchange rate returns, and equity flows are remarkably stable across periods of low and high stress. For emerging market economies, however, the stabilizing properties of portfolio rebalancing are weak in periods of high financial stress. This finding is in line with theoretical predictions of portfolio rebalancing models, if periods of crisis are associated with increasing investor risk aversion or elevated return volatility. Also, for emerging market economies a switch towards a period of high financial stress is associated with equity outflows.

Our empirical findings have important policy implications for the role of equity flows in emerging market crises. Portfolio rebalancing tends to mitigate adverse shocks. For example, a negative equity return shock in emerging market economies leaves international investors holding too little emerging market equities in their portfolios, prompting equity flows into emerging market economies. These flows induce an emerging market currency appreciation and tend to dampen the equity price drop, thus mitigating the initial adverse shock. This mechanism relies on the assumptions that (1) the shock has not affected expected returns and volatility of emerging market stocks, and (2) that international investors are not completely hedged against the effects of such shocks. Our finding that portfolio rebalancing is considerably reduced in crises periods for emerging market economies implies that equity flows do not or to a lesser degree perform the stabilizing role that is implied by portfolio rebalancing models. Our findings for emerging market economies therefore support the prescriptions by Ostry et al. (2011) and Ostry et al. (2010) that countries may need to impose capital controls or other policy instruments to safeguard their financial system from capital flows in times of financial stress.

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Appendix

A Generalized impulse responses

Let $IRF_{j,t}$ be the stacked impulse responses of different variables *i* as defined in equation (5). Using the reduced form model described in equation (4), the impulse responses on the effect to a shock in variable *j* in state *s* can be calculated as follows:

$$IRF_{j,t} = B_s X_t + A_{0,s}^{-1} \epsilon_{t,j} - B_s X_t$$
$$= A_{0,s}^{-1} \epsilon_{t,j}$$

For periods after the effect, the system is allowed to switch between states. As a result, the switching probabilities need to be included when calculating the conditional expectations. The k-period ahead impulse response is calculated as:

$$IRF_{j,t+k} = \sum_{l=1}^{2} \mathbb{P}(s_{t+2} = l | s_t = s) B_l \begin{bmatrix} IRF_{j,t+k-1} \\ IRF_{j,t+k-2} \\ 0 \end{bmatrix}$$

Gathering the state probabilities in:

$$Q = \begin{bmatrix} P(s_{t+1} = 1 | s_t = 1) & P(s_{t+1} = 2 | s_t = 1) \\ P(s_{t+1} = 1 | s_t = 2) & P(s_{t+1} = 2 | s_t = 2) \end{bmatrix}$$

allows us to get $\mathbb{P}(s_{t+k} = i | s_t = j)$ as the *i*th column and the *j*th row from the matrix Q^k . Thus:

$$IRF_{j,t+k} = \Sigma_{l=1}^{2} \left[Q^{k} \right]_{l} B_{l} \begin{bmatrix} IRF_{j,t+k-1} \\ IRF_{j,t+k-2} \\ 0 \end{bmatrix}$$

B Responses to a regime switch

Let $IRF_{sh,t+k}$ be the stacked responses of different variables *i* to a switch from regime *s* to regime *h* in period *t* as defined in equation (7). Using the reduced form model described in equation (4), it can be calculated for period *t* as follows:

$$IRF_{sh,t} = B_{1,h}y_{t-1} + B_{2,h}y_{t-2} + c_h - B_{1,s}y_{t-1} - B_{2,s}y_{t-2} - c_s$$
$$= B_h \begin{bmatrix} y_{t-1} \\ y_{t-2} \\ 1 \end{bmatrix} - B_s \begin{bmatrix} y_{t-1} \\ y_{t-2} \\ 1 \end{bmatrix} = [B_h - B_s] X_t$$

To simplify notation, let $\mathbb{E}[Z|s] \equiv \mathbb{E}[Z|s_t = h, X_t]$. Then the k-period ahead response to a switch from regime s to regime h is calculated as:

$$\begin{split} IRF_{sh,t+k} = & \mathbb{E}\left[y_{t+k}|s_t = h, X_t\right] - \mathbb{E}\left[y_{t+k}|s_t = s, X_t\right] \\ = & \sum_{l=1}^2 \left(\left[Q^k\right]_{hl} B_{1,l}\right) \mathbb{E}\left[y_{t+k-1}|h\right] + \sum_{l=1}^2 \left(\left[Q^k\right]_{hl} B_{2,l}\right) \mathbb{E}\left[y_{t+k-2}|h\right] \\ & - & \sum_{l=1}^2 \left(\left[Q^k\right]_{sl} B_{1,l}\right) \mathbb{E}\left[y_{t+k-1}|s\right] - \sum_{l=1}^2 \left(\left[Q^k\right]_{sl} B_{2,l}\right) \mathbb{E}\left[y_{t+k-2}|s\right] \\ & + & \sum_{l=1}^2 \left(\left[\left[Q^k\right]_{hl} - \left[Q^k\right]_{sl}\right] C_l\right) \\ & = & \sum_{l=1}^2 \left(\left[Q^k\right]_{hl} B_l\right) \left[\begin{array}{c} \mathbb{E}\left[y_{t+k-1}|h\right] \\ \mathbb{E}\left[y_{t+k-2}|h\right] \\ 1 \end{array}\right] - & \sum_{l=1}^2 \left(\left[Q^k\right]_{sl} B_l\right) \left[\begin{array}{c} \mathbb{E}\left[y_{t+k-2}|s\right] \\ \mathbb{E}\left[y_{t+k-2}|s\right] \\ 1 \end{array}\right] \end{split}$$

where the state probabilities are gathered in Q as shown for the calculations of the generalized impulse responses.

C Additional figures and tables

Figure 8: GIRFs Advanced Economies

Notes: Cumulative generalized impulse responses in the two states of variables listed in rows to shocks listed the columns. The shocks are normalized so that they correspond to a shock of one percentage point in the respective variable. Solid lines indicate the median and shaded areas the 68% credible set of models that satisfy the sign restrictions.

Figure 9: GIRFs Emerging Markets

Notes: Cumulative generalized impulse responses of variables listed in rows to shocks listed the columns. The shocks are normalized so that they correspond to a shock of one percentage point in the respective variable. Lines indicate the median and shaded areas the 68% credible set of the distribution across models that satisfy the sign restrictions.

Figure 10: FEVD Advanced Economies

Notes: Forecast error variance decomposition (FEVD) in the two states: share of the forecast error variance of variables listed in rows, explained by shocks listed the columns. Solid lines indicate the median and shaded areas the 68% credible set of models that satisfy the sign restrictions.

Figure 11: FEVD Emerging Markets

Notes: Forecast error variance decomposition (FEVD) in the two states: share of the forecast error variance of variables listed in rows, explained by shocks listed the columns. Solid lines indicate the median and shaded areas the 68% credible set of models that satisfy the sign restrictions.

Country	MSCI index ticker	Currency ticker		
Advanced Economies:				
Australia	MSAUSTL	MSERAUD		
Austria	MSASTRL	MSEREUR		
Belgium	MSBELGL	MSEREUR		
Canada	MSCNDAL	MSERCAD		
Denmark	MSDNMKL	MSERDKK		
Finland	MSFINDL	MSEREUR		
France	MSFRNCLY	MSEREUR		
Germany	MSGERML	MSEREUR		
Greece	MSGREEL	MSEREUR		
Ireland	MSEIREL	MSEREUR		
Italy	MSITALL	MSEREUR		
Japan	MSJPANL	MSERJPY		
Netherlands	MSNETHL	MSEREUR		
Norway	MSNWAYL	MSERNOK		
Portugal	MSPORDL	MSEREUR		
Spain	MSSPANL	MSEREUR		
Sweden	MSSWDNL	MSERSEK		
Switzerland	MSSWITL	MSERCHF		
United Kingdom	MSUTDKL	MSERGBP		
Em. Market Economies:				
Brazil	MSBRAZL	MSERBRL		
Chile	MSCHILL	MSERCLP		
Colombia	MSCOLML	MSERCOP		
Czech Republic	MSCZCHL	MSERCZK		
Hungary	MSHUNGL	MSERHUF		
India	MSINDIL	MSERINR		
Indonesia	MSINDFL	MSERIDR		
Israel	MSISRLL	MSERILS		
Mexico	MSMEXFL	MSERMXN		
Poland	MSPLNDL	MSERPLN		
South Africa	MSSARFL	MSERZAR		
South Korea	MSKOREL	MSERKRW		
Taiwan	MSTAIWL	MSERTWD		
Thailand	MSTHAFL	MSERTHB		

Table 3: Countries

Notes: The EUR series has been extended back to 1995 using the series EUDOLLR from Datastream.