

# The Impact of Computer-Based Tutorials on High School Math Proficiency

Federal Reserve Bank of Dallas: Intent vs. Impact

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# Background & Motivation

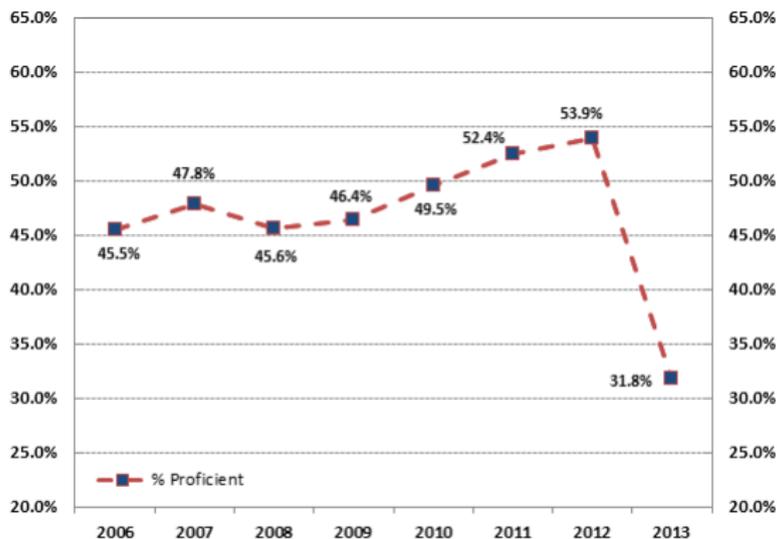
- Benefits of mathematical skills are widely documented in the economics and education literature
  - ▶ Success in higher education (Duncan & Magnuson 2013)
  - ▶ Labor market outcomes (Heckman et al. 2006)
  - ▶ Financial literacy skills (Lusardi et al. 2010)
  - ▶ Broad economic growth (Hanushek et al. 2008)

# Background & Motivation

- Even in light of these benefits, math proficiency levels remain low amongst U.S. high school students
  - ▶ 2005 → 23% proficient
  - ▶ 2009 → 26% proficient
  - ▶ 2013 → 26% proficient

# Background & Motivation

- Specifically in Clark County, NV (math proficiency for 10<sup>th</sup> graders)



Source: Clark County School District

## Background & Motivation

- Over the 2005/06 school year, the Clark County School District (CCSD) provided access to the *Succeed in Math*<sup>®</sup> (SCIM) computer-based tutorial to high school students
- The tutorial was made available prior to taking the state math proficiency exam over the 2006/07 school year

**Research Question:** Did the computer-based tutorial have any impact on increasing math proficiency rates over the 2006/07 school year?

# Literature on Computer-Aided Tutorials

- The majority of existing work focuses on computer-based tutorials as effective instructional methods *in the classroom during school hours*
  - ▶ Results are mixed as measured by increasing standardized test scores (Campuzano et al. 2009; WWC Intervention Report, Dept. of Education 2013; Kulik & Fletcher 2015)
- Lai et al. (2015) implement an RCT in Beijing looking at computer-assisted learning in an *out of school hours* context
  - ▶ Found positive and statistically significant results on standardized math scores
- We further contribute to the literature by evaluating students who interacted with computer-aided tutorials as a complement to traditional, in classroom instruction

# Data

- Data provided by CCSD covering the 2006/2007 school year for 10<sup>th</sup> and 11<sup>th</sup> graders
  - ▶ Sample restricted to those who only took the exam once
  - ▶ Treatment group restricted to individuals who spent a positive amount of time in the tutorial
    - ★ 2,989 students selected into the treatment, but were deemed proficient at the onset and asked *not* to continue (more on this)
- Final sample size: 16,219
  - ▶ 15,360 10<sup>th</sup> graders
  - ▶ 859 11<sup>th</sup> graders
- Information on treatment uptake, indicator for proficiency on the state math exam, and *some* observable student/household characteristics

Table 1: Summary Statistics

Variable	Full Sample		Tutorial Participants		Non-Tutorial Participants	
	Mean	SD	Mean	SD	Mean	SD
Proficient on State Math Exam (1 = proficient)	0.515	0.500	0.561	0.497	0.512	0.500
White (1 = yes)	0.406	0.491	0.401	0.490	0.406	0.491
Black (1 = yes)	0.139	0.346	0.157	0.364	0.138	0.344
Hispanic (1 = yes)	0.340	0.474	0.300	0.458	0.342	0.474
Gender (1 = female)	0.515	0.499	0.615	0.486	0.509	0.500
Proficient in English (1 = yes)	0.770	0.500	0.786	0.410	0.769	0.421
English Language Learner (1 = yes)	0.091	0.288	0.069	0.254	0.092	0.289
Gifted and Talented (1 = yes)	0.142	0.349	0.098	0.298	0.145	0.352
10th Grader (1 = yes)	0.947	0.224	0.772	0.420	0.957	0.202

Note:  $N = 16,219$  for the full sample; of this, 908 are tutorial participants and 15,311 are non-participants.

## Some Problems

- Observable characteristics that we would like to have are not available
  - ▶ HH income, parental education, HH structure, etc.
  - ▶ Model will be underidentified
- Non-random selection into the treatment group along the dimension of unobservable characteristics
- Given the above, the CIA assumption fails → estimating causal effects becomes difficult
  - ▶ Typically rely on IV methods → requires a valid exclusion restriction
  - ▶ A valid instrument is not available in this case

# Empirical Methods

- Minimum-Biased approach (MB) proposed by Millimet & Tchernis (JAE, 2013); coded in Stata (see McCarthy et al. 2014; - *bmtc* -)
  - ▶ Extension of Hirano & Imbens (2001) Inverse Probability Weighted (IPW) estimator
  - ▶ When the CIA holds, IPW yields an unbiased estimates of the treatment effects; estimates are biased when CIA fails
- MB estimator trims the estimation sample using observations with a propensity score in some neighborhood around the BMPS,  $P^*$ 
  - ▶ Bias is minimized at the expense of changing the parameter being estimated
  - ▶ Needs to be interpreted with respect to the value of  $P^*$  (which may be uninteresting)

# Empirical Methods

- In our case, the model is underidentified and treatment equation exhibits homoskedasticity (fail to reject null of homoskedasticity at conventional levels)
  - ▶ Millimet & Tchernis (2013) → MB-EE estimator (where EE denotes Edgeworth expansion)
- Estimate the model for full sample and for various demographic groups
- Re-estimate the model coding those who selected into the treatment, but asked not to continue, as the control group
  - ▶ These students were asked *not* to continue given exogenous proficiency standards set by the state
  - ▶ Control and treatment groups may be more homogeneous across unobservables

# Results

## Full sample

**Table 2a: Impact of Math Tutorial, Full Sample**

	ATE	ATT
<b>IPW</b>	0.118 [0.089, 0.145]	0.121 [0.095, 0.147]
<b>MB - EE</b>		
$\theta = 0.05$	0.114 [0.057, 0.186]	0.131 [0.078, 0.169]
$\theta = 0.25$	0.139 [0.086, 0.182]	0.131 [0.097, 0.168]
<b>P* - EE</b>	0.188 [0.020, 0.654]	0.250 [0.094, 0.438]

*Note:* Treatment is defined as spending any positive amount of time in the tutorial module; 95% empirical confidence intervals in brackets obtained using 250 bootstrap repetitions.

# Results

## Minority students compared to white students

**Table 2b: Impact of Math Tutorial, Minority Students**

	ATE	ATT
<b>IPW</b>	0.147 [0.101, 0.191]	0.143 [0.101, 0.181]
<b>MB - EE</b>		
$\theta = 0.05$	0.091 [0.011, 0.223]	0.101 [0.007, 0.184]
$\theta = 0.25$	0.173 [0.065, 0.245]	0.170 [0.100, 0.215]
<b>P* - EE</b>	0.188 [0.020, 0.861]	0.222 [0.094, 0.466]

Note: Treatment is defined as spending any positive amount of time in the tutorial module; 95% empirical confidence intervals in brackets obtained using 250 bootstrap repetitions.

**Table 2c: Impact of Math Tutorial, White Students**

	ATE	ATT
<b>IPW</b>	0.044 [0.006, 0.086]	0.069 [0.027, 0.113]
<b>MB - EE</b>		
$\theta = 0.05$	0.073 [-0.095, 0.132]	0.092 [0.026, 0.154]
$\theta = 0.25$	0.073 [-0.003, 0.130]	0.092 [0.027, 0.151]
<b>P* - EE</b>	0.259 [0.020, 0.886]	0.343 [0.071, 0.679]

Note: Treatment is defined as spending any positive amount of time in the tutorial module; 95% empirical confidence intervals in brackets obtained using 250 bootstrap repetitions.

# Results

## Female students compared to male students

**Table 2d: Impact of Math Tutorial, Female Students**

	ATE	ATT
<b>IPW</b>	0.132 [0.085, 0.167]	0.122 [0.081, 0.153]
<b>MB - EE</b>		
<b><math>\theta = 0.05</math></b>	0.326 [0.036, 0.389]	0.09 [0.017, 0.172]
<b><math>\theta = 0.25</math></b>	0.135 [0.087, 0.182]	0.111 [0.079, 0.18]
<b>P* - EE</b>	0.020 [0.020, 0.506]	0.766 [0.289, 0.859]

Note: Treatment is defined as spending any positive amount of time in the tutorial module; 95% empirical confidence intervals in brackets obtained using 250 bootstrap repetitions.

**Table 2e: Impact of Math Tutorial, Male Students**

	ATE	ATT
<b>IPW</b>	0.104 [0.052, 0.147]	0.118 [0.071, 0.163]
<b>MB - EE</b>		
<b><math>\theta = 0.05</math></b>	0.114 [-0.043, 0.171]	0.126 [0.075, 0.183]
<b><math>\theta = 0.25</math></b>	0.113 [0.062, 0.164]	0.126 [0.079, 0.179]
<b>P* - EE</b>	0.828 [0.020, 0.886]	0.718 [0.228, 0.793]

Note: Treatment is defined as spending any positive amount of time in the tutorial module; 95% empirical confidence intervals in brackets obtained using 250 bootstrap repetitions.

# Results

## "Treatment" subsample

Table 3: Impact of Math Tutorial, "Treatment" Subsample

	ATE	ATT
<b>IPW</b>	0.052 [0.024, 0.080]	0.056 [0.027, 0.084]
<b>MB - EE</b>		
$\theta = 0.05$	0.024 [-0.072, 0.144]	0.024 [-0.043, 0.137]
$\theta = 0.25$	0.071 [0.015, 0.117]	0.071 [0.020, 0.114]
<b>P* - EE</b>	0.925 [0.032, 0.979]	0.514 [0.411, 0.809]

*Note:* Control group is now defined as those students who selected into treatment, but were asked not to continue; treatment is still defined as spending any positive amount of time in the tutorial module; 95% empirical confidence intervals in brackets obtained using 250 bootstrap repetitions.

## In Summary

- Conditional of having a relatively mid to high rank in the estimated propensity score distribution of participation in the SCIM tutorial, we find evidence of a statistically positive causal effect for the average 10<sup>th</sup>/11<sup>th</sup> grader in CCSD
- Assuming these impacts can be applied across the entire distribution of estimated propensity scores and are in fact causal:
  - ▶ 1,849 (1,151) additional 10<sup>th</sup>/11<sup>th</sup> grade students would have passed the state proficiency exam over the 2006/2007 school year
  - ▶ 119 (64) students in the treatment group would *not* have passed the state proficiency exam had they not participated over the 2006/2007 school year

## In Summary

- Some evidence of a greater impact for minorities and females
  - ▶ Note, these comparisons need to be made cautiously since  $P^*$  differs across groups
  - ▶ Parameter being estimated changes
- Supports findings of Lai et al. (2015) in that positive impacts seem to exist when computer-aided tutorials are viewed as complements

THANK YOU